

# E6B Flight Computer

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# Some Terms

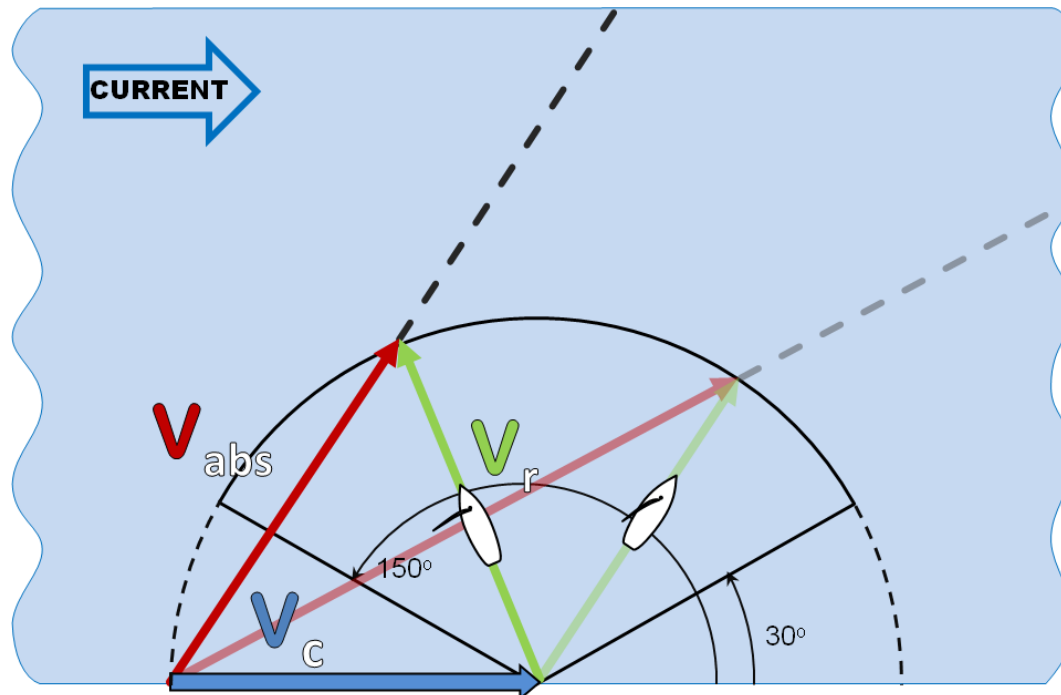
Computer Side



Wind Side

# Solving for Wind

- Wind is a Vector
  - It has both Direction and Speed
  - Imagine a boat going across a river

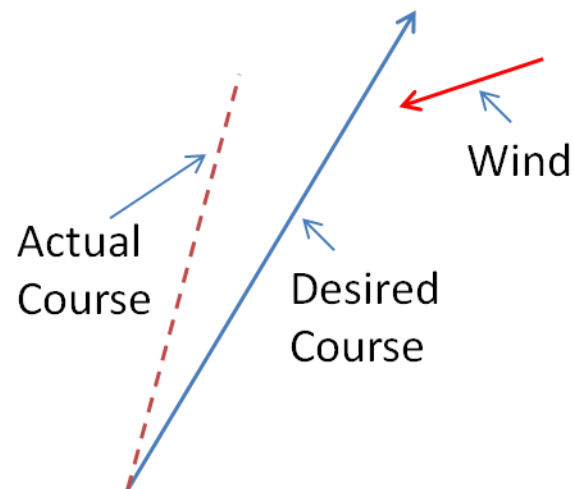


# Wind (cont.)

- The Solution – Find Corrections in Our Aircraft Heading so Actual Course = Desired Course
  - Compute Vector Equation, or
  - Trial and Error

• Here the Desired Course Has Been Altered by the Wind

• This Results in a Actual Course (we call that a Track) That is Different



# Some Terms

- True or Magnetic – Units Applied to Headings, Course, or Track
- Heading – What the Aircraft is Flying – *Normally we Always Fly a Magnetic Heading*
- Course – the Line of Distance and it's Angle Measured from Start to Finish (*This is What We Plot on our Charts*)
- Track – What We Actually Fly – *Hopefully it is the Same as the Desired Course*

# Winds

- Wind Velocity (Speed Provided In Knots – Direction Provided as True)
  - Note this is a Vector
- $MH = TH \pm \text{Magnetic Variation}$
- $TH = TC \pm \text{Wind Drift}$

# Exercise 1 – Lay Out a Course Line and Determine True Heading and Ground Speed

- Given – Wind (from FA at 6,000) = 0730+14
- From San Marcos (KHYI) to Yoakum (T85)
  - Distance = \_\_\_\_\_
  - True Course = \_\_\_\_\_
- Use the Plot Tool

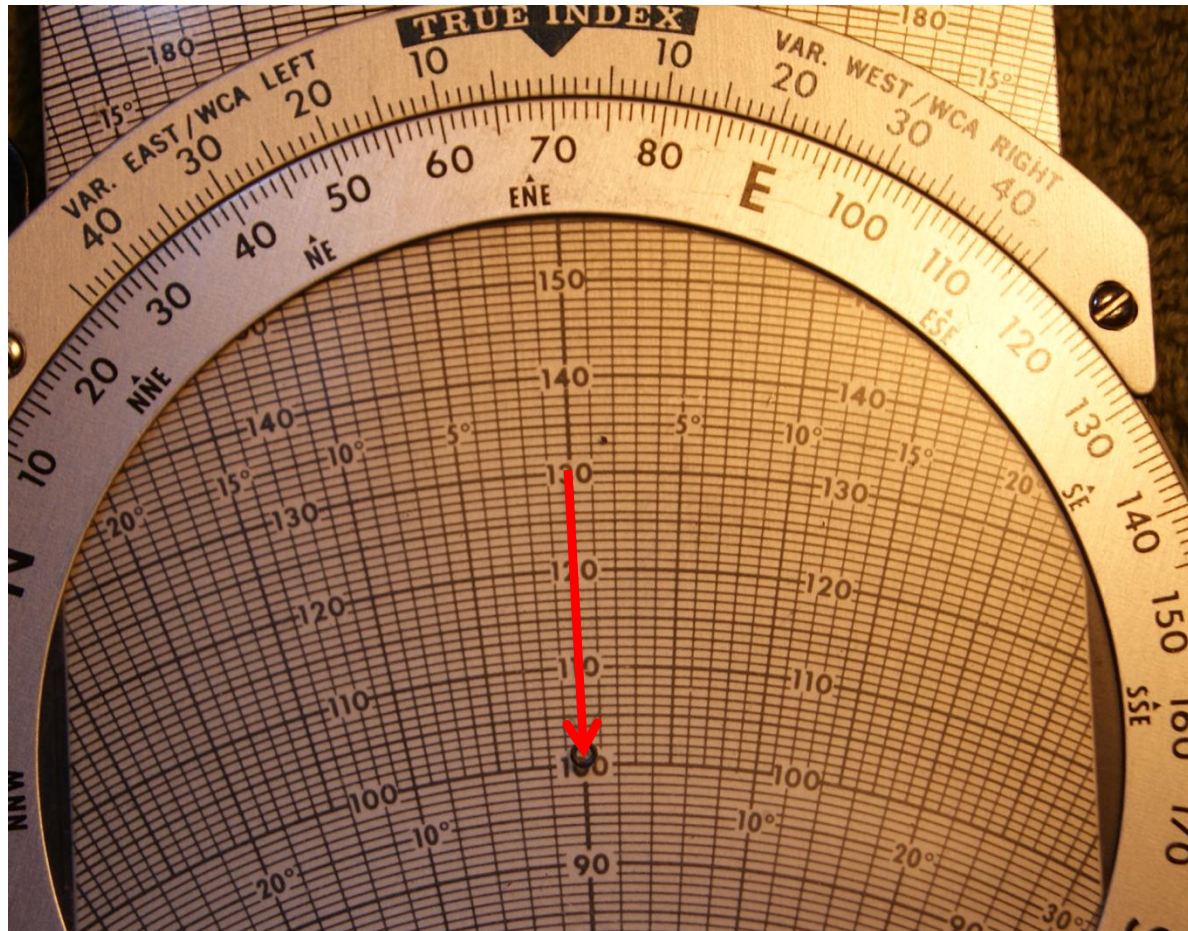


# Exercise 1 (cont.)

- Now Apply Wind to Determine True Course
- Our True Airspeed (TAS) is 90 knots (in this case the true in the TAS has nothing to do with direction, but is the speed through the air – more on computing TAS later)
- Turn Compass Rose until 70 degrees is under the True Index
- Set Grommet Over 100
- Draw a Line Down from 130 to the Grommet (see next page)



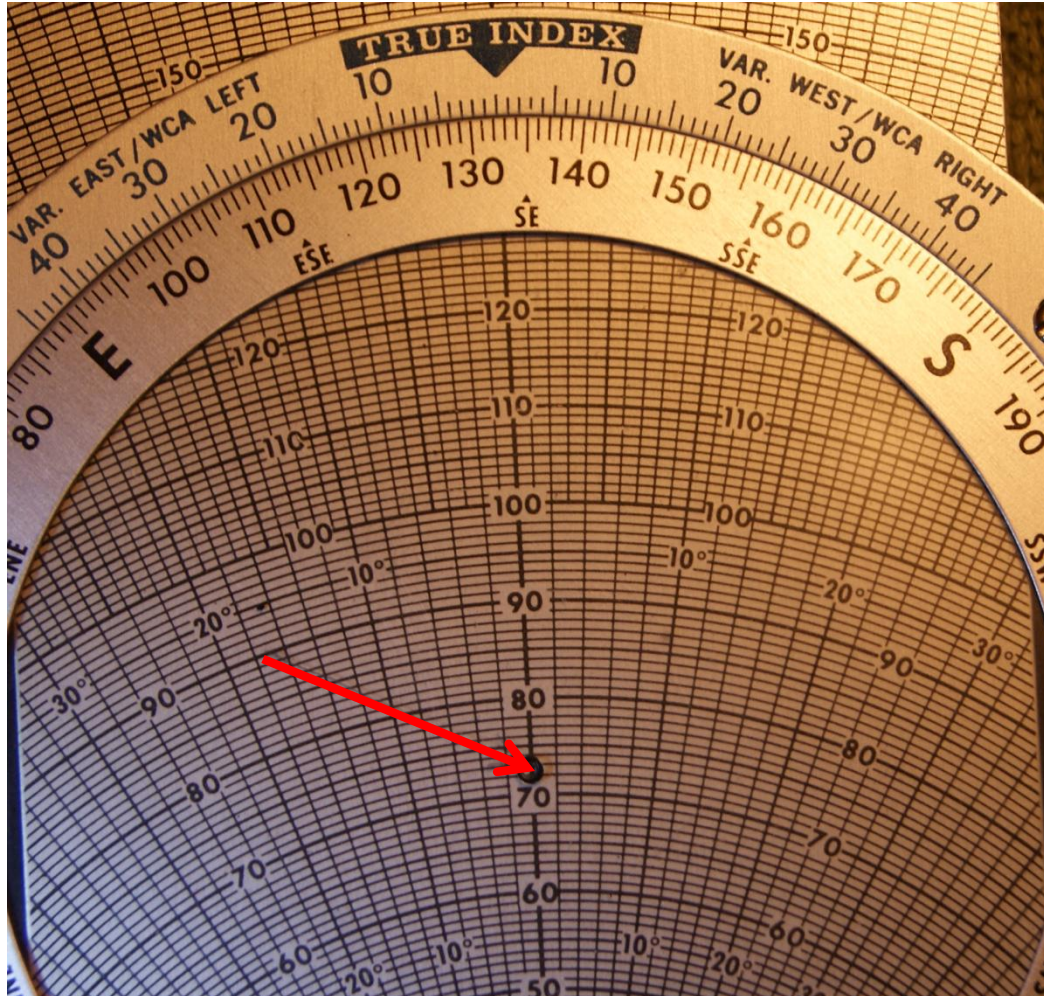
# Exercise 1 (cont.)



# Exercise 1 (cont.)

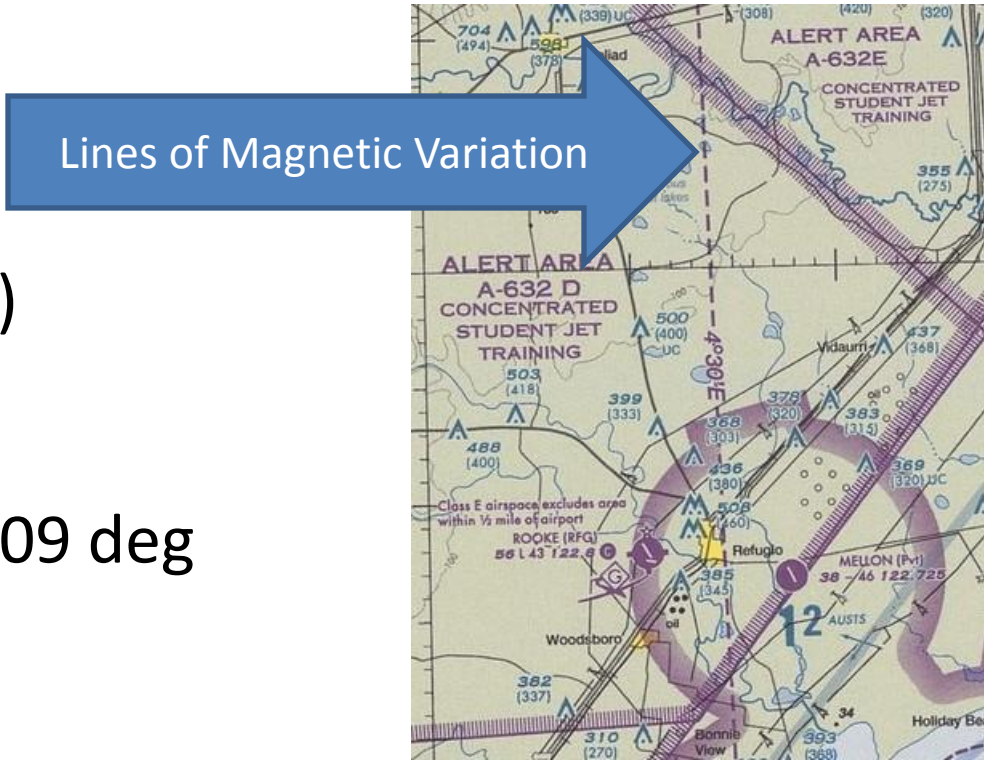
- Now Turn to place 132 under True Course Index and Slide Until Tail of Wind is on the 90 degree Line (see next chart)
- Read Wind Correction Angle as 18 degrees Left
- True Heading (TH) = True Course (TC) +/- WCA
  - Left WCA is Minus
  - Therefore  $TH = 132 - 18 = 114$  degrees
  - We Also Solved Ground Speed as 72 knots

# WCA



# Exercise 2 – Now Solve for Magnetic Heading (MH)

- We Fly Using Magnetic Reference, not True
- Variation Between Magnetic and True
- Here it is 4.5 degrees East
- $MH = TH \pm \text{Variation (VAR)}$ 
  - If VAR is East it is minus
- $MH = TH(114) - VAR (5) = 109 \text{ deg}$



|                      |     |     |     |     |     |     |
|----------------------|-----|-----|-----|-----|-----|-----|
| FOR (MAGNETIC).....  | S   | 210 | 240 | W   | 300 | 330 |
| STEER (COMPASS)..... | 180 | 212 | 243 | 274 | 303 | 332 |

# Exercise 3 – Find the Compass Heading (CH)

- Deviations (DEV) Between What Compass Indicates and Actual Magnetic Heading
  - Electrical Currents from Avionics and Equipment Disturb Magnetic Field Around the Compass

|                      |     |     |     |     |     |     |
|----------------------|-----|-----|-----|-----|-----|-----|
| FOR (MAGNETIC).....  | N   | 30  | 60  | E   | 120 | 150 |
| STEER (COMPASS)..... | 0   | 28  | 57  | 86  | 117 | 148 |
| FOR (MAGNETIC).....  | S   | 210 | 240 | W   | 300 | 330 |
| STEER (COMPASS)..... | 180 | 212 | 243 | 274 | 303 | 332 |

- In This Case ~ -3 DEV
- Therefore, CH = MH (109) – DEV (4) = 105

# Some Final Thoughts on the Wind Side

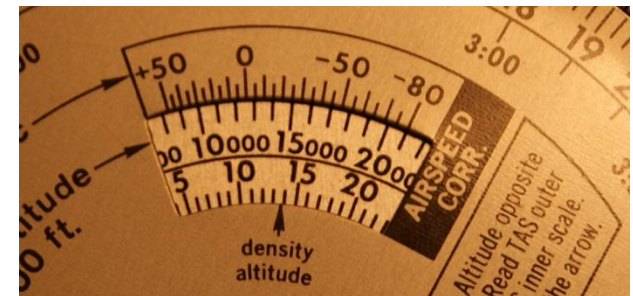
- Good for Flight Planning
- Winds Aloft Forecasts (FA) Notoriously Bad
- Likely Need to Revise Once Flight Begins
- Draw Wind With an Arrow Pointing to Grommet
- Use Pencil, Not Ink

# Computer Side

- Solve for TAS, Density Altitude
- Time, Distance and Rate Problems

# Example 4 – Find Density Altitude

- Flying at Leadville, CO
- Airport Elevation 9,934'
- Say OAT is 85 deg F  
– ~29.5 deg C
- Density Altitude ?
- Use Airspeed Corr. Window
- Set 30 deg C against 10,000' – Read 13,800'





# Example 5 – Compute TAS

- Without Changing, Find TAS if KIAS = 90 knts
- KIAS is Inner Circle, Outer Circle is KTAS
- Opposite the 90 (inside) read KTAS = 112 knts
  - Increases Landing and Takeoff Distance
  - Decreases Rate of Climb
  - May Be Beyond Airplane's Service Ceiling

# Time, Distance, Rate

- All Are of the Form:  $\frac{A}{B} = \frac{C}{D}$
- Always Put A and C on Outer Ring,
- Read B or D on Inside Ring,
- e.g., A = 3, B = 4, C = 6, D = ?



# In Class Problems

- Ground Speed
- Time Between Points
- Fuel Rate and Fuel Usage